## Set Theory Symbols

List of set symbols of set theory and probability.

## Table of set theory symbols

| Symbol | Symbol Name | Meaning / definition | Example |
| :---: | :---: | :---: | :---: |
| \{ \} | set | a collection of elements | $\begin{aligned} & A=\{3,7,9,14\}, \\ & B=\{9,14,28\} \end{aligned}$ |
| 1 | such that | so that | $\mathrm{A}=\{x \mid x \in \mathbb{R}, x<0\}$ |
| $A \cap B$ | intersection | objects that belong to set $A$ and set B | $A \cap B=\{9,14\}$ |
| $A \cup B$ | union | objects that belong to set A or set B | $A \cup B=\{3,7,9,14,28\}$ |
| $\mathrm{A} \subseteq \mathrm{B}$ | subset | subset has fewer elements or equal to the set | $\{9,14,28\} \subseteq\{9,14,28\}$ |
| $\mathrm{A} \subset \mathrm{B}$ | proper subset / <br> strict subset | subset has fewer elements than the set | $\{9,14\} \subset\{9,14,28\}$ |
| $\mathrm{A} \not \subset \mathrm{B}$ | not subset | left set not a subset of right set | $\{9,66\} \not \subset\{9,14,28\}$ |
| $\mathrm{A} \supseteq \mathrm{B}$ | superset | set $A$ has more elements or equal to the set $B$ | $\{9,14,28\} \supseteq\{9,14,28\}$ |
| $A \supset B$ | proper superset/ strict superset | set $A$ has more elements than set B | $\{9,14,28\} \supset\{9,14\}$ |
| $A \not D B$ | not superset | set $A$ is not a superset of set B | $\{9,14,28\} \not D\{9,66\}$ |
| $2^{\text {A }}$ | power set | all subsets of A |  |
| $\mathcal{P}(A)$ | power set | all subsets of A |  |
| $\mathrm{A}=\mathrm{B}$ | equality | both sets have the same members | $\begin{aligned} & \mathrm{A}=\{3,9,14\}, \\ & \mathrm{B}=\{3,9,14\}, \\ & \mathrm{A}=\mathrm{B} \end{aligned}$ |
| $A^{\text {c }}$ | complement | all the objects that do not belong to set A |  |


| $A \backslash B$ | relative complement | objects that belong to A and not to B | $\begin{aligned} & A=\{3,9,14\}, \\ & B=\{1,2,3\}, \\ & A \backslash B=\{9,14\} \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| A - B | relative complement | objects that belong to A and not to B | $\begin{aligned} & A=\{3,9,14\}, \\ & B=\{1,2,3\}, \\ & A-B=\{9,14\} \end{aligned}$ |
| $\mathrm{A} \Delta \mathrm{B}$ | symmetric difference | objects that belong to A or $B$ but not to their intersection | $\begin{aligned} & \mathrm{A}=\{3,9,14\}, \\ & \mathrm{B}=\{1,2,3\}, \\ & \mathrm{A} \Delta \mathrm{~B}=\{1,2,9,14\} \end{aligned}$ |
| $\mathrm{A} \ominus \mathrm{B}$ | symmetric difference | objects that belong to A or $B$ but not to their intersection | $\begin{aligned} & A=\{3,9,14\}, \\ & B=\{1,2,3\}, \\ & A \ominus B=\{1,2,9,14\} \end{aligned}$ |
| $a \in \mathrm{~A}$ | element of | set membership | $\mathrm{A}=\{3,9,14\}, 3 \in \mathrm{~A}$ |
| $x \notin \mathrm{~A}$ | not element of | no set membership | $\mathrm{A}=\{3,9,14\}, 1 \notin \mathrm{~A}$ |
| $(a, b)$ | ordered pair | collection of 2 elements |  |
| $A \times B$ | cartesian product | set of all ordered pairs from $A$ and $B$ |  |
| $\|\mathrm{A}\|$ | cardinality | the number of elements of set A | $A=\{3,9,14\},\|A\|=3$ |
| \# A | cardinality | the number of elements of set A | $A=\{3,9,14\}, \# A=3$ |
| $\aleph_{0}$ | aleph-null | infinite cardinality of natural numbers set |  |
| $\aleph_{1}$ | aleph-one | cardinality of countable ordinal numbers set |  |
| $\varnothing$ | empty set | $\emptyset=\{ \}$ | $C=\{\varnothing\}$ |
| U | universal set | set of all possible values |  |
| $\mathbb{N}_{0}$ | natural numbers / whole numbers set | $\mathbb{N}_{0}=\{0,1,2,3,4, \ldots\}$ | $0 \in \mathbb{N}_{0}$ |

$\left.\begin{array}{|c|l|l|l|}\hline & \text { (with zero) } & & \\ \hline \mathbb{N}_{1} & \begin{array}{l}\text { natural numbers / } \\ \text { whole } \\ \text { numbers set } \\ \text { (without zero) }\end{array} & \mathbb{N}_{1}=\{1,2,3,4,5, \ldots\}\end{array}\right) 6 \in \mathbb{N}_{1}$.

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